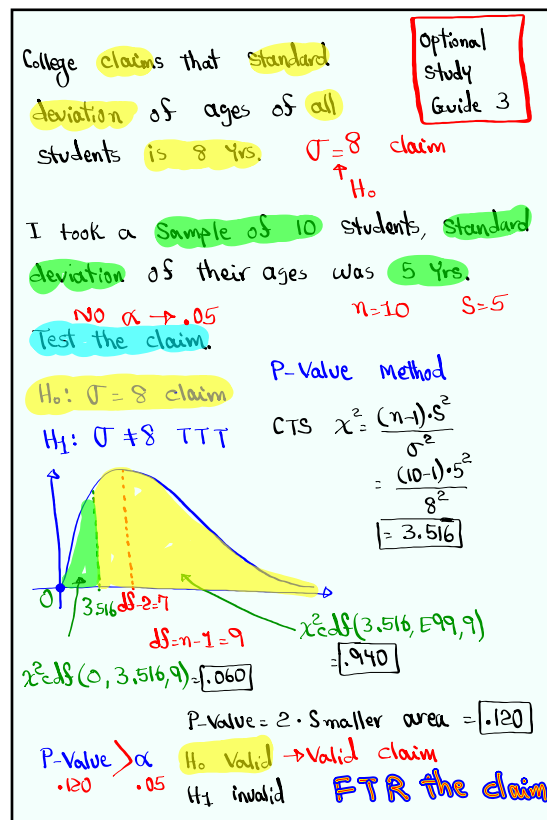


# Statistics

## Lecture 28



Feb 19-8:47 AM



Jun 2-1:49 PM

8 randomly selected female students had a standard deviation of 8 yrs for their ages. SG 29

Females  $n=8$   $S=8$   
Males  $n=10$   $S=5$

10 randomly selected male students had a standard deviation of 5 yrs for their ages.

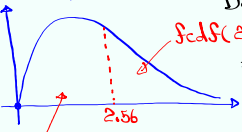
No  $\alpha \rightarrow .05$   
Test the claim that there is a difference between two Pop. Standard Deviations.

$H_0: \sigma_1 = \sigma_2$   $\sigma_1 \neq \sigma_2$  claim  $H_1$

$H_1: \sigma_1 \neq \sigma_2$  (TT claim) 1)  $S_1 > S_2$

Females	Males
$n_1=8$	$n_2=10$
$S_1=8$	$S_2=5$

2) CTS  $F = \frac{S_1^2}{S_2^2} = \frac{8^2}{5^2} = 2.56$   
Ndf =  $n_1 - 1 = 7$   
Ddf =  $n_2 - 1 = 9$



$\text{Scdf}(2.56, 7, 9) = .095$   
 $\text{Scdf}(0, 2.56, 7, 9) = .905$

P-Value = 2 \* Smaller area =  $2(.095) = .19$  claim

P-value  $> \alpha$   $.19 > .05$   $H_0$  Valid  $H_1$  invalid Invalid claim  $\Rightarrow$  Reject the claim

Jun 2-2:02 PM

now using 2-Samp F Test

inpt:

Stats

$S_1 = 8$

$n_1 = 8$

$S_2 = 5$

$n_2 = 10$

$\sigma_1 \neq \sigma_2$

CTS  $F = 2.56$

P-Value  $P = .190$

Jun 2-2:15 PM

Last Topic

Study Guide 33

Comparing at least 3 pop. means:

$$H_0: \mu_1 = \mu_2 = \mu_3 = \dots = \mu_k$$

 $H_1$ : At least one mean is different. RTT

 $k \rightarrow \# \text{ of groups}$        $\text{Ndf} = k - 1$ 
 $n \rightarrow \text{Total Sample Size}$        $\Rightarrow \text{Ddf} = n - k$ 
Method  $\rightarrow$  ANOVA (Analysis of Variance)
 STAT TESTS  $\uparrow$  ANOVA L1, L2, L3, ...

CTS F

P-value P

 $\text{P-value} > \alpha \rightarrow H_0 \text{ Valid, } H_1 \text{ invalid}$ 
 $\text{P-value} \leq \alpha \rightarrow H_0 \text{ invalid, } H_1 \text{ Valid}$ 

Final Conclusion must be claim

Reject the claim OR FTR the claim

Jun 2-2:18 PM

 I randomly selected exams from 3 colleges.  
 Here are the Scores

ELAC	Mt. SAC	Chaffey
75 83 100	73 96 99	84 96 100
90 88 68	86 80	65 75 80
80		

 $k = 3$ 

$$\Rightarrow \text{Ndf} = k - 1 = 2$$

ELAC  $\rightarrow$  L1Mt. SAC  $\rightarrow$  L2Chaffey  $\rightarrow$  L3

$$n = 7 + 5 + 6 = 18 \quad \text{Ddf} = n - k = 15$$

 Use  $\alpha = .1$  to test the claim that  
 all means are equal.

STAT

TESTS

ANOVA(L1, L2, L3)

$$H_0: \mu_1 = \mu_2 = \mu_3 \text{ claim}$$

 $H_1$ : At least one mean  
 is different. RTT

CTS F = .159

P-value P = .854 ✓

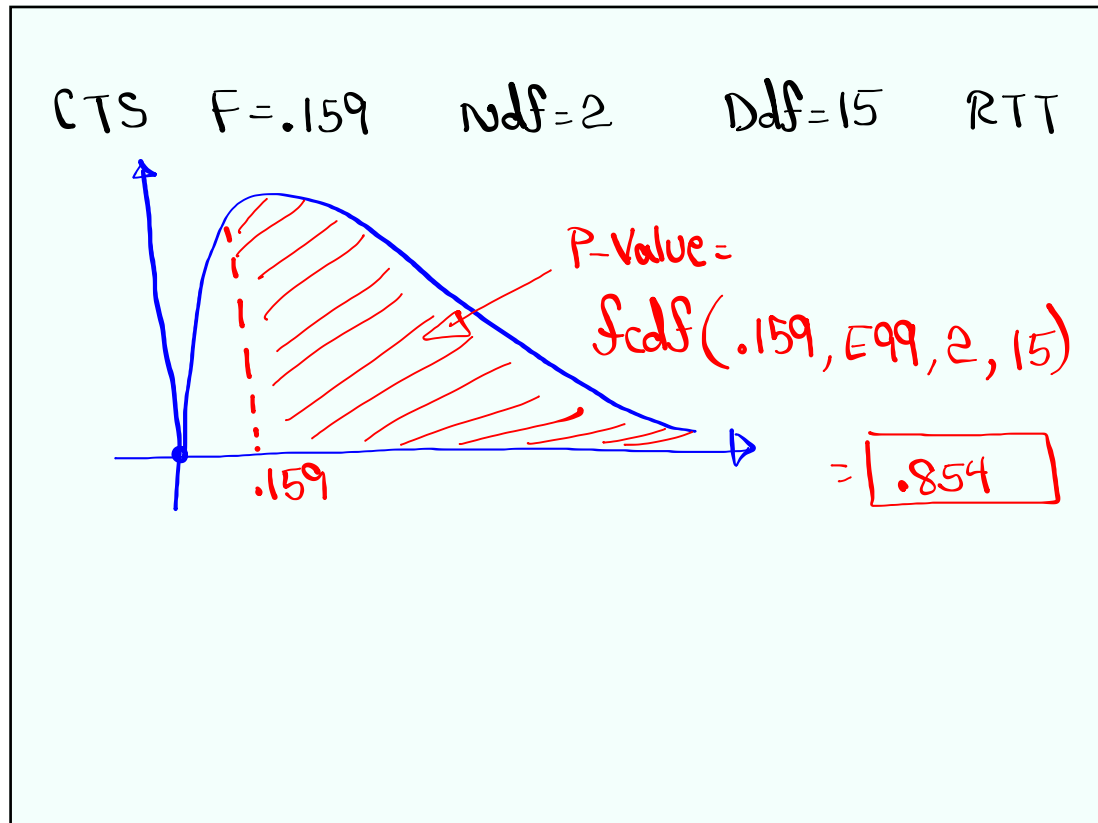
 $\text{P-value} > \alpha$   
 .854 > .1

 $H_0$  Valid  $\rightarrow$  Valid claim

 $H_1$  invalid

FTR the claim

Jun 2-2:27 PM



Jun 2-2:38 PM

I randomly selected students from 4 schools.  
Here are their ages:

ELAC			Mt. SAC			Chaffey			UCLA		
24	28	18	19	29	35	17	23	29	28	33	40
32	25		21	25		29	30		50	35	

$k = 4$   $Ndf = k - 1 = 3$   
 $n = 20$   $Ddf = n - k = 16$   
 NO  $\alpha \rightarrow .05$

Test the claim that not all pop. means are equal.  $H_0: \mu_1 = \mu_2 = \mu_3 = \mu_4$   
 $H_1$ : At least one mean is different. RTT claim

ELAC  $\rightarrow L1$  ANOVA (L1, L2, L3, L4)  
 Mt. SAC  $\rightarrow L2$  CTS  $F = 3.996$   
 Chaffey  $\rightarrow L3$  P-Value  $P = .027$  ✓  
 UCLA  $\rightarrow L4$  P-Value  $\leq \alpha$   $H_0$  invalid  
 $.027 < .05$   $H_1$  Valid

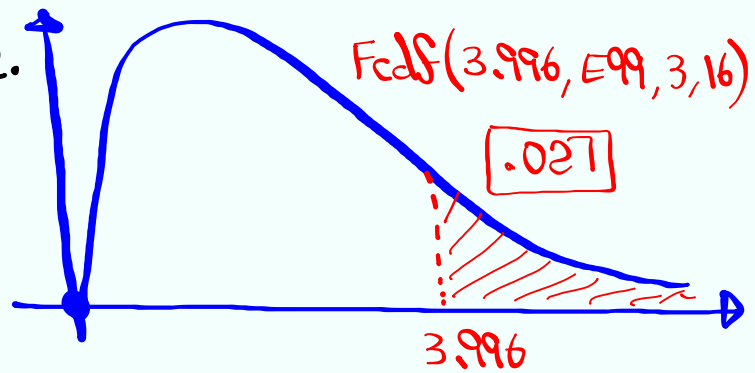
If we choose  $\alpha$  to be .02 or .01, then P-Value  $> \alpha$   
 $H_0$  Valid  $\rightarrow$  Invalid claim  
 $H_1$  invalid  $\rightarrow$  Reject

Valid claim  
 FTR the claim.

Jun 2-2:41 PM

CTS  $F=3.996$  ,  $Ndf=3$  ,  $Ddf=16$  , RTT

Find P-value.



Jun 2-2:55 PM